



Millimeter wave MIMO Wireless Links at Optical Speeds

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The Goal



- Seamless interface of wireless to optical
 - Key to a fail-safe, rapidly deployable infrastructure
- Problem: A Huge Wireless/Optical Capacity Gap
 - Wireless can do 10s of Mbps, optical 10s of Gbps
- *How do we get to 40 Gbps wireless?*
 - How would you process passband signals so fast?
 - Where is the bandwidth?



The promise of mm wave



- 13 GHz of E-band spectrum for outdoor point-to-point links
 - 71-76 GHz, 81-86 GHz, 92-95 GHz
 - Semi-unlicensed
 - Narrow beams required
- CMOS and SiGe are getting fast enough
 - Low-cost mm wave RF front ends within reach
- Application requirements
 - Required range of kilometers
 - Highly directive antennas
 - High power transmission not possible
 - Ease of instalment



From constraints to design choices

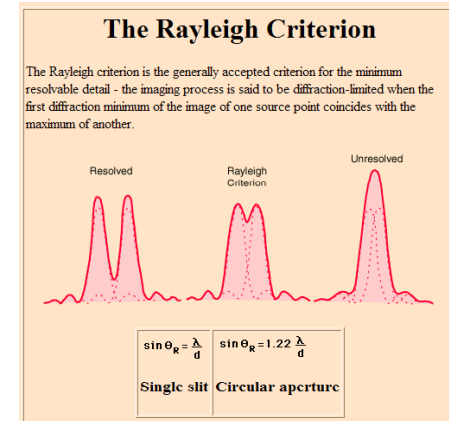
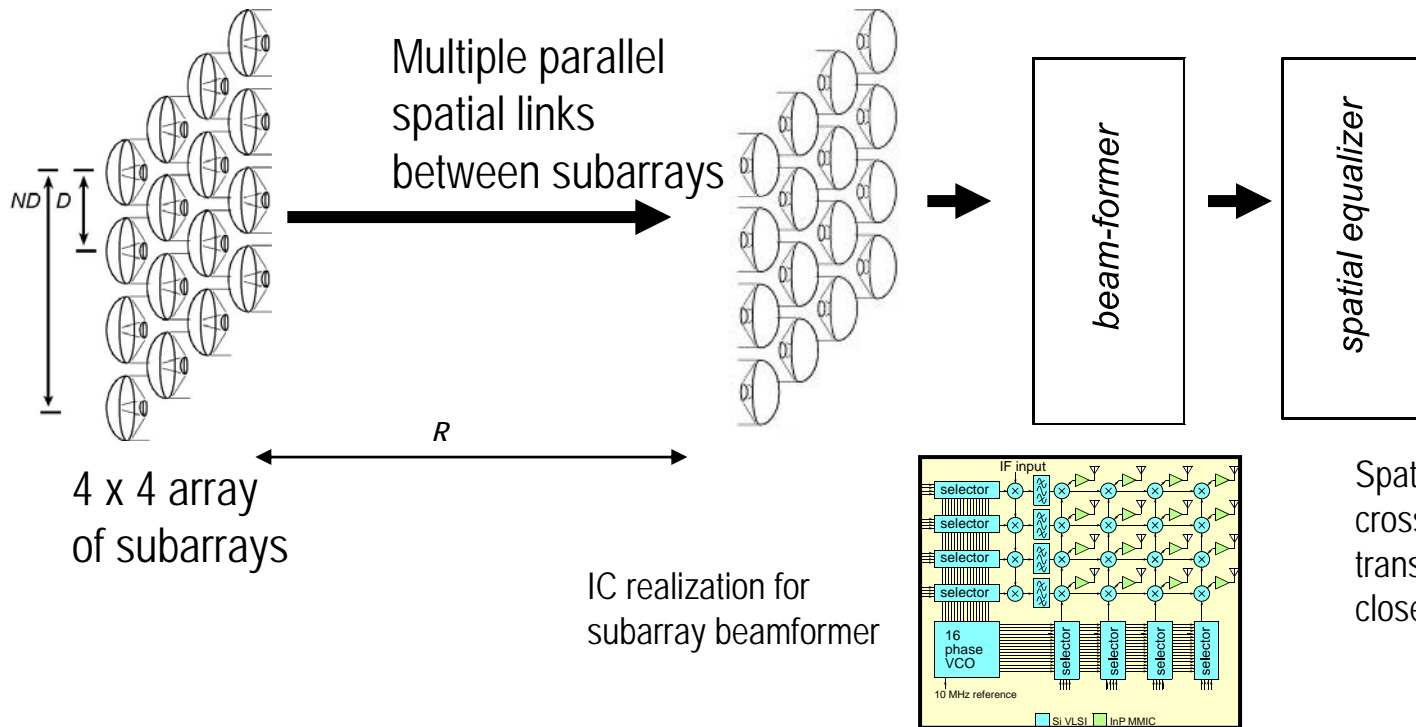


- Tight power budget with low-cost silicon RF realizations
 - small constellations
 - Singlecarrier modulation
- Eliminate need for highly skilled installers
 - Electronic beamsteering
- 5 GHz of contiguous spectrum
 - 5 Gbps with QPSK and 100% excess bandwidth

But how do we scale from 5 Gbps to 40 Gbps?



Millimeter-wave MIMO in one slide



Spatial equalizer handles crosstalk between subarray transmitters due to spacing closer than Rayleigh criterion

- Example system: 40 Gbps over 1 km using 5 GHz of E-band spectrum**
- 4 x 4 array of subarrays at each end**
- Overall array size with sub-Rayleigh spacing ~ 2 x 2 meters**
- 8 out of 16 transmit at 5 Gbps for aggregate of 40 Gbps**
- QPSK with 100% excess bandwidth over the 75-80 GHz band**
- Level 1 signal processing: Transmit and receive subarray beamforming**
- Level 2 signal processing: 16-tap receive spatial equalizer (each receive subarray corresponds to one equalizer tap)**



Millimeter wave MIMO: key features



- Parallel spatial links at 1-5 Gbps to get 10-40 Gbps aggregate
- Low cost realization of large beamsteering arrays for accurately pointing each parallel link
- Spatial interference suppression across parallel links
- Signal processing/hardware co-design to handle ultra-high speeds
 - Level 1: beamforming reduces subarrays to virtual elements
 - Level 2: Spatial multiplexing using virtual elements
- CMOS RFIC design for low-cost realization



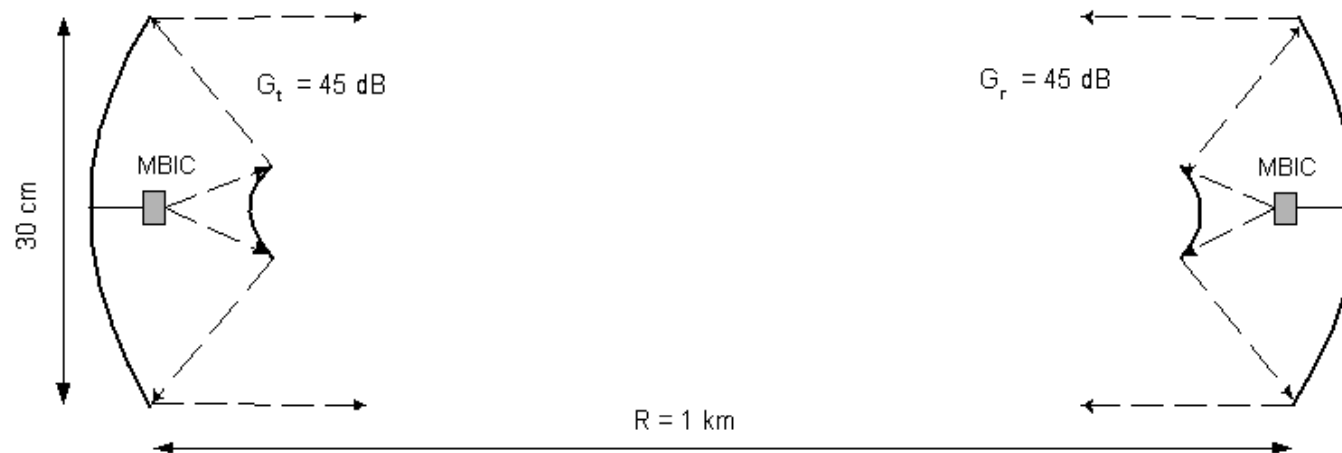
The rest of this talk



- Link budget benchmark
- Level 1 beamforming
 - Possible geometries
 - Joint upconversion/beamsteering: row-column design
- Level 2 spatial multiplexing
 - Model
 - Spatial multiplexing configurations
 - Performance with zero-forcing solution
 - Gap to capacity
- Conclusions



Link budget benchmark



- $f_{\text{carrier}} = 75 \text{ GHz}$ ($\lambda = 4 \text{ mm}$) with $W = 5 \text{ GHz}$
- MBIC controls 4x4 square array
- $G_{\text{trans}} = G_{\text{receive}} = 45 \text{ dB}$ and
- 3-dB antenna beamwidth = 2°
- Receiver Noise Figure = 6.5 dB
- Desired Bit Rate = 5 Gbps using QPSK
- Design BER = 10^{-9}

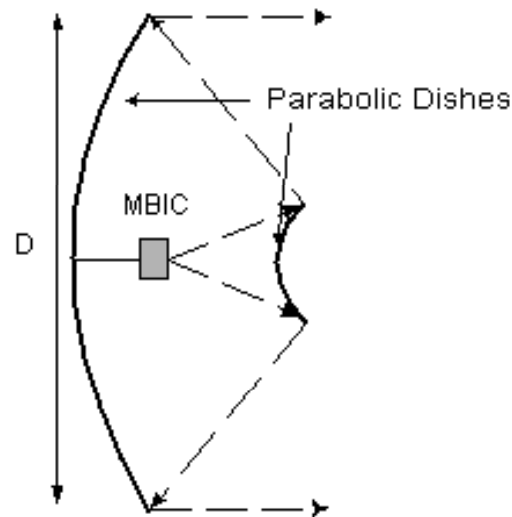
Even in 25mm/hr rain, and transmitting only 10 mW / MBIC element, we get a 25 dB link margin



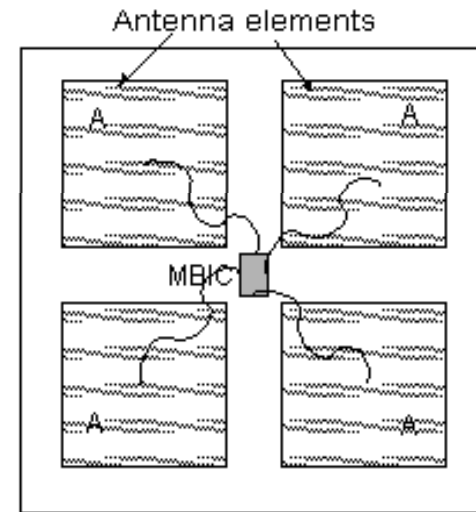
From fixed to steerable beams



$$A_{eff} = \pi D^2/4$$



(a) Telescopic Dish Configuration



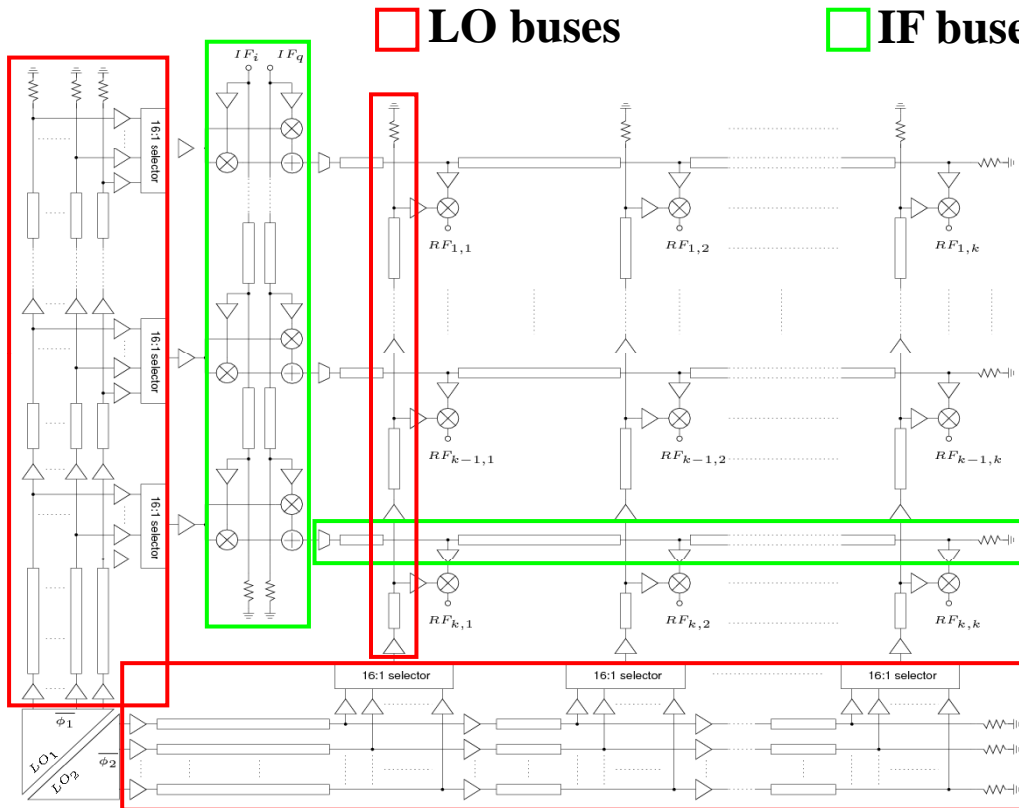
(b) Planar Configuration

$$A_{eff} = 4A$$

- The Directivity Gain of each subarray is $G = \frac{4\pi A_{eff}}{\lambda^2}$
- The effective aperture A_{eff} of half-length spaced square array at mm-wave is small
- The A_{eff} can be increased using (a) parabolic dish (like a telescope) or (b) antenna elements on printed circuit board with a larger area



Row-column beamsteering



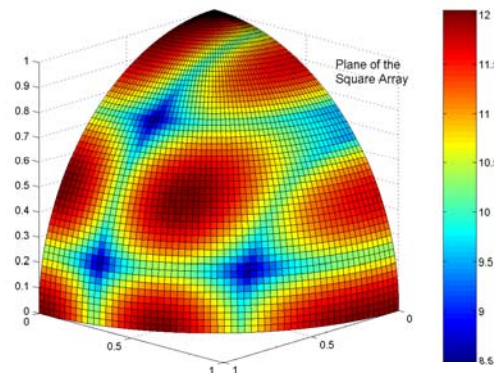
- 16 discrete phases of two LOs
- Phase on each element is set by row first, then by column
- 2D steerability close to unconstrained weights
- Limit on IF and LO buses (frequency and max N)



Performance of Row-Column Beamsteerer

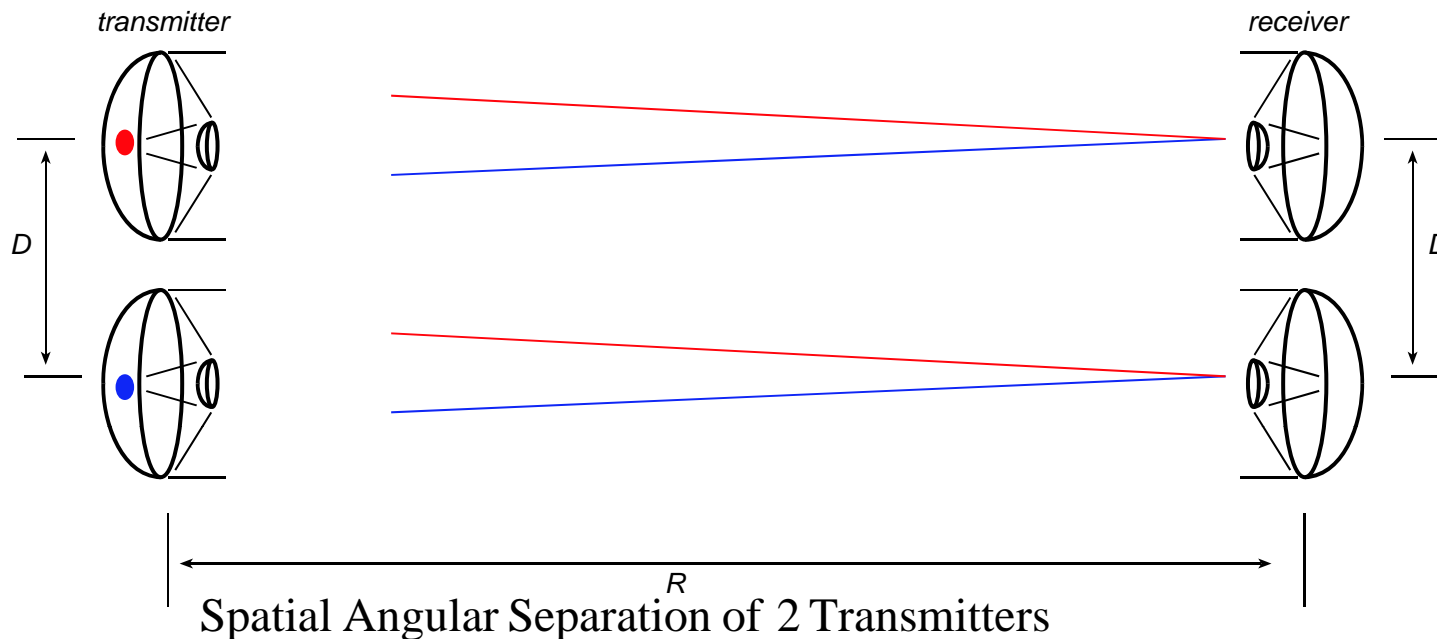


- 4x4 subarray, $\lambda/2$ spacing
- 4 quantized phases along vertical and horizontal
- Plots show beamforming gain available along any direction
 - Max gain is 12 dB
 - Quantization loss can be up to 3.5 dB
 - Easily remedied by finer quantization (e.g., 8 phases)





Level 2 geometry: intuition



$$\delta\theta = D / R$$

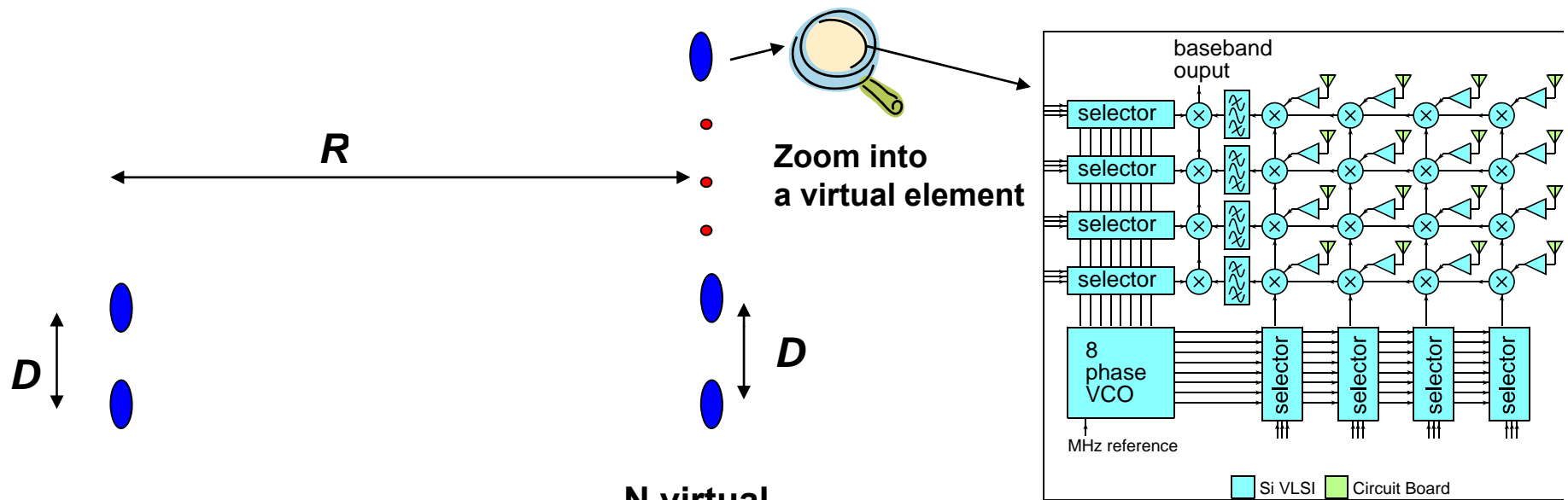
Signal Phase Separation of 2 Transmitters at the Receivers

$$\delta\phi_e = \delta\theta \cdot 2\pi D / \lambda$$

- If $\delta\phi_e = \pi$, e.g. $D = \sqrt{\lambda R / 2}$, then simple in - phase combining of receiver signals to aim receiver array at desired transmitter will result in 100% suppression of signal from undesired transmitter.
- This corresponds to the Rayleigh criterion in diffraction - limited imaging



Level 2 geometry: details



Two “neighboring” virtual transmit elements should have different enough receive array responses

N virtual receive elements

Each virtual element is a subarray providing beamforming gain

$$\sqrt{(R+D)^2} - R \approx \frac{D^2}{2R}$$

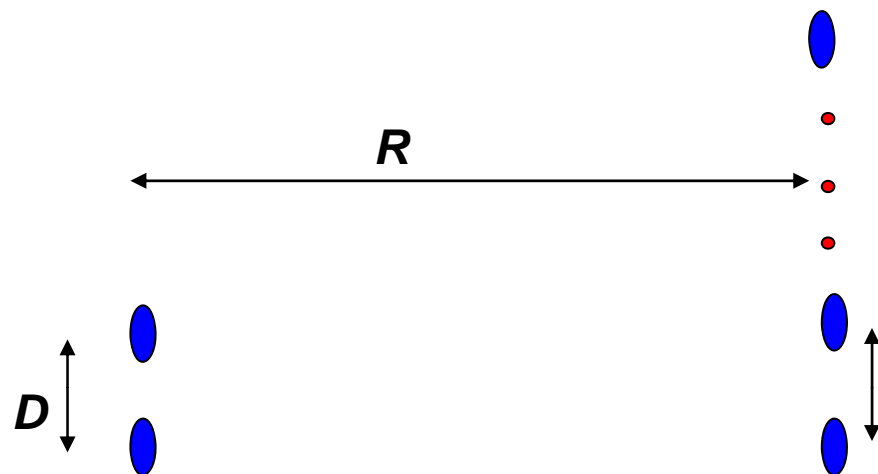
Path difference between signals reaching adjacent receive elements from a transmit element

$$\phi = \frac{2\pi}{\lambda} \frac{D^2}{2R} = \frac{\pi D^2}{R\lambda}$$

Phase difference between adjacent receive elements due to one transmit element



Level 2: Criterion for zero interference



Receive array responses

$$\mathbf{a}_1 = (1, e^{j\phi}, e^{j2^2\phi}, e^{j3^2\phi}, \dots)$$

$$\mathbf{a}_2 = (e^{j\phi}, 1, e^{j\phi}, e^{j2^2\phi}, \dots)$$

$$\phi = \frac{2\pi}{\lambda} \frac{D^2}{2R} = \frac{\pi D^2}{R\lambda}$$

$$\rho = \frac{|\mathbf{a}_1^H \mathbf{a}_2|}{\|\mathbf{a}_1\| \|\mathbf{a}_2\|} = \frac{\sin(N\phi)}{N \sin\phi}$$

Normalized correlation

No interference if $N\phi = \pi$ or $D = \sqrt{\frac{R\lambda}{N}}$

Rayleigh criterion

Example: 75 GHz carrier, 1 km range, 8 receive subarrays

Array dimension is about 5 meters

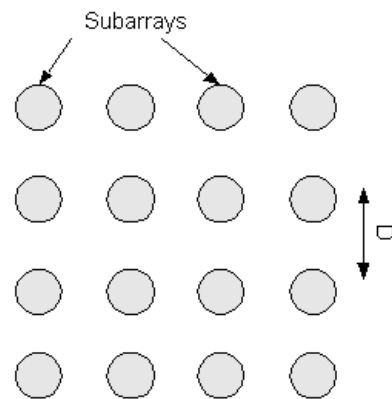
Too big?



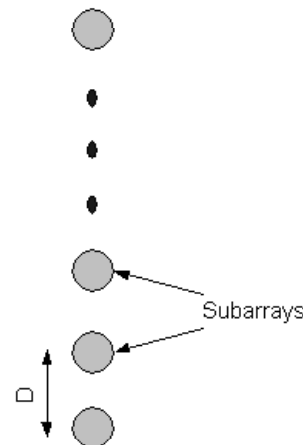
Size reduction techniques



- Sub-Rayleigh spacing between virtual elements
 - Combat interference using spatial equalizer at level 2
- Two-dimensional array instead of linear array
 - The rayleigh spacing for $N \times N$ array is $N^{1/2}$ larger than N^2 ULA
 - But side dimension is N times for N^2 ULA than $N \times N$ array



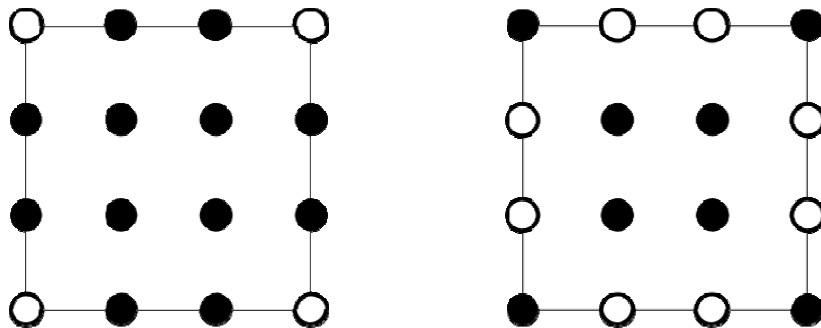
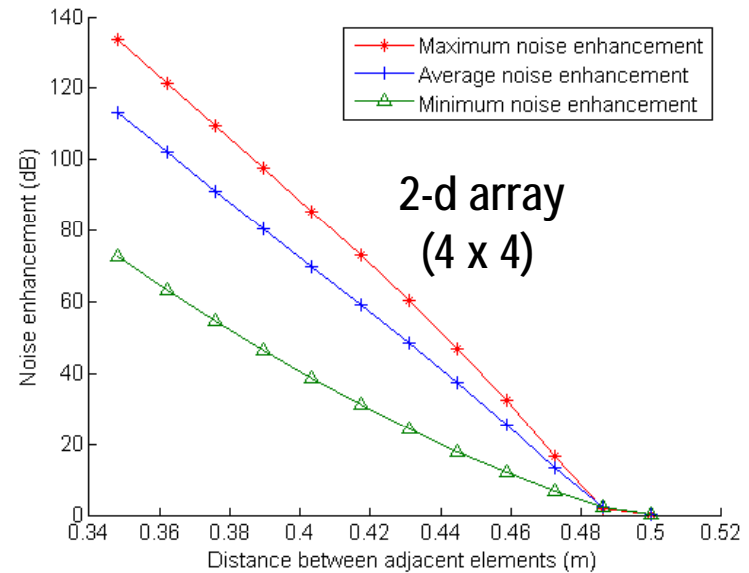
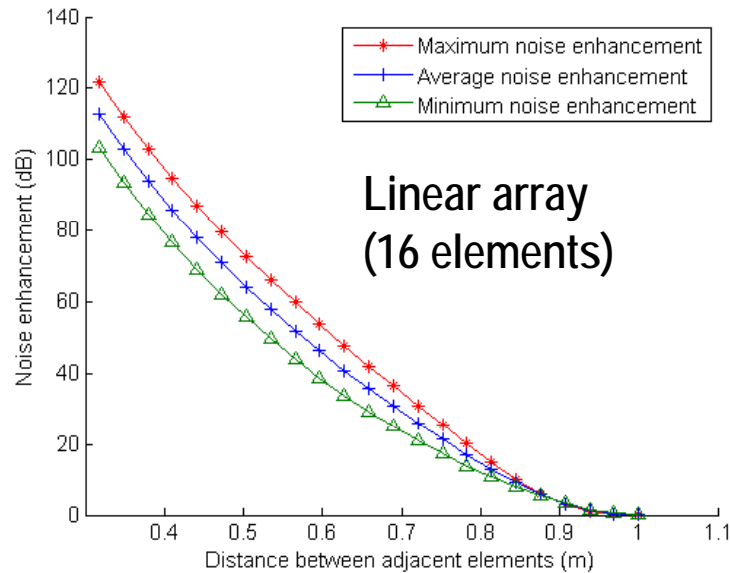
(a) 4×4 Square Array



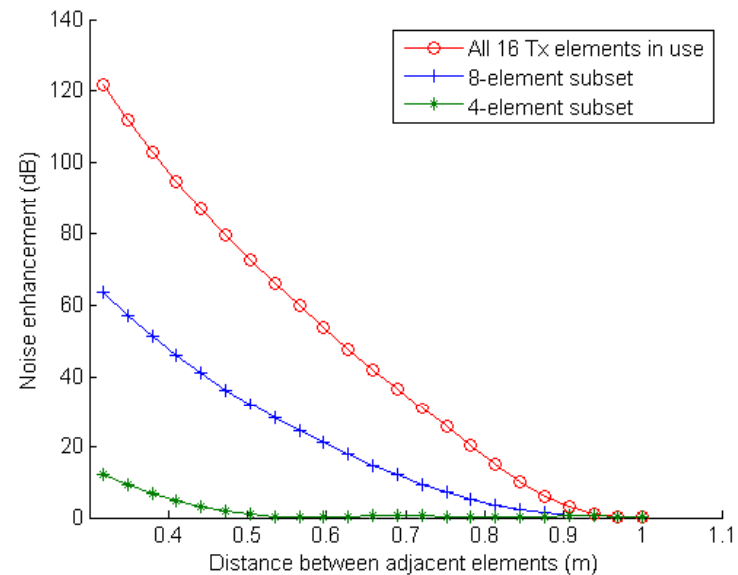
(b) 16×1 Uniform Linear Array



Noise enhancement due to ZF equalizer



Tx Subset selection: 4 (left) and 8 (right) antennas





Gap to capacity



- Uncoded system with QPSK
 - Gap to Shannon capacity about 11 dB at BER of 10^{-9}
 - Constellation expansion + coding unlikely in near future
 - Expect this gap to remain
- Suboptimal zero-forcing reception
 - MIMO capacity realized by transmitting along orthog eigenmodes
 - Gap is mainly due to noise enhancement
 - May be able to reduce gap using decision feedback



The potential is huge



- “Wireless Fiber” is now truly within reach
 - All weather 40 Gbps wireless links with kilometers range
- Applications galore
 - Last mile
 - Disaster recovery using hybrid optical/wireless backbone
 - WiMax backhaul
 - Avoiding right-of-way issues



But much work remains...



- We have an architecture and systems level analysis
- Now comes the hard work
 - Cutting edge mm wave RFIC design (90 nm CMOS)
 - Hybrid digital/analog baseband algorithms
 - High-speed baseband CMOS ICs
 - Subarray design: IC realization, physical antenna
 - Protocols incorporating transmit and receive beamforming
 - Handling multipath



The Rayleigh criterion in imaging



The Rayleigh Criterion

The Rayleigh criterion is the generally accepted criterion for the minimum resolvable detail - the imaging process is said to be diffraction-limited when the first diffraction minimum of the image of one source point coincides with the maximum of another.

$\sin \theta_R = \frac{\lambda}{d}$	$\sin \theta_R = 1.22 \frac{\lambda}{d}$
Single slit	Circular aperture

The Rayleigh criterion gives exactly zero crosstalk. Sub Rayleigh spacing results in crosstalk which must be corrected by a spatial equalizer

Rayleigh Criterion

Set Width (mm) Set Lamda (nm)
 Set Screen (m) Set Image Sep. (mm)

Note: keep $L \gg a$ [Start/Reset](#) [Add Superposition](#)

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